

*Optimization methods.*

**Local**, e.g. *IRLS*

may be several extrema

move in discrete jumps

variant

check to see if next location actually improvement

if not, pull back closer to current (Fletcher-Powell)

**Global**

*simulated annealing*

exponential probability jumps  
exceedingly slow

*genetic algorithms*

stochastic  
crossing rules, e.g. interchange of coordinates  
slow

*smoothing*

local extrema disappear  
then, add more detail

*branch and bound*

more reliable

**Statistics 215a - 9/22/03 - D. R. Brillinger**

Properties for  $\psi$ .

Want:

1. High breakdown point

*breakdown point* - the smallest proportion of contamination that can force a description off to arbitrary values

mean,  $\beta = 0$ ; median,  $\beta = .5$ , trimmed mean,  $\beta = \gamma$

2.  $\psi$  bounded  
controls influence of datum

3.  $\psi$  moderately continuous  
insensitive to small shifts

4.  $\psi$  has rejection point  
deletes extreme outliers

5.  $\psi$  adapted to problem

6.  $\psi(r)$  approx linear for small  $r$   
good for bell-shaped

7.  $\psi(-r) = -\psi(r)$

center clear